Revisiting of the greenhouse effect discovery and its analysis

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Outline

- 1. A short history of the greenhouse effect discovery
- 2. Analysis of the greenhouse effect using the Net Exchange Formalism

Emergence of the physics of climate

J. Fourrier:

- Mémoire sur les températures du globe terrestre et des espaces planétaires, Mémoires de l'Académie des Sciences de l'Institut de France,1824
- General remarks on the Temperature of the Terrestrial Globe and the Planetary Spaces; American Journal of Science, Vol. 32, N°1, 1837.



Joseph Fourrier (1768-1830)

- > He consider the Earth like any other planet
- >The energy balance equation drives the temperature of all the planets
- > The major heat transfers are
 - 1. Solar radiation
 - 2.Infra-red radiation
 - 3. Diffusion with the interior of Earth
- >The heat exchange with the interior of Earth has a negligible impact on the surface temperature

Emergence of the physics of climate

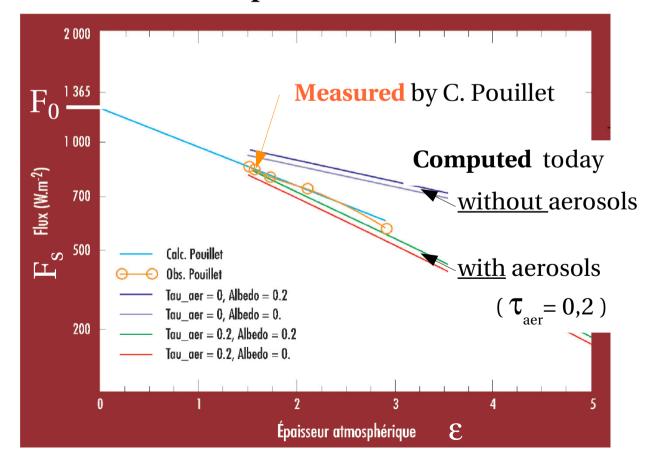
- > He highlight the importance of solar and infrared radiation and makes an analogy between heat exchanges in the atmosphere and in a « hot box » (a greenhouse)
- > He assume that the polar ward heat transport is small and deduced that, during the polar winter night, the polar temperature is equal to the temperature of the « *planetary space* »
- > He envisage the importance of any change of the sun « The least variation in the distance of that body[the sun] from the earth would occasion very considerable changes of temperature. »
- > He envisage that climate may change: « The establishment and progress of human society, and the action of natural powers, may, in extensive regions, produce remarkable changes in the state of the surface, the distribution of waters, and the great movements of the air. Such effects, in the course of some centuries, must produce variations in the mean temperature for such places ».

Estimate of the solar irradiance

Mémoire sur la chaleur solaire, sur les pouvoirs rayonnants et absorbants de l'air atmosphérique, et sur la température de l'espace, Pouillet, 1838

Developed a pyrheliometer to measure the solar irradiance

Solar irradiance at surface F_s as a function of atmospheric air mass ϵ





Claude Pouillet (1790-1868)

C. Pouillet obtains:

 $F_0 = 1228 \text{ W.m}^{-2}$

Current estimate:

 $F_0 = 1361 \text{ W.m}^{-2}$

... and of the surface temperature of the sun

Flux emitted by the sun as a function of its surface temperature

Pe (W/m2)

10⁵

10⁴

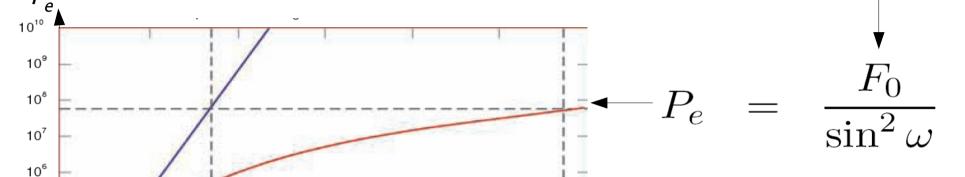
10³

10²

10¹

10°

Pouillet estimate



P_e: flux emitted by the sun

 F_0 : solar constant

 ω : angular radius of the sun

Loi de Dulong-Petit
Loi de Stefan-Boltzmann

T(K)

T(K)

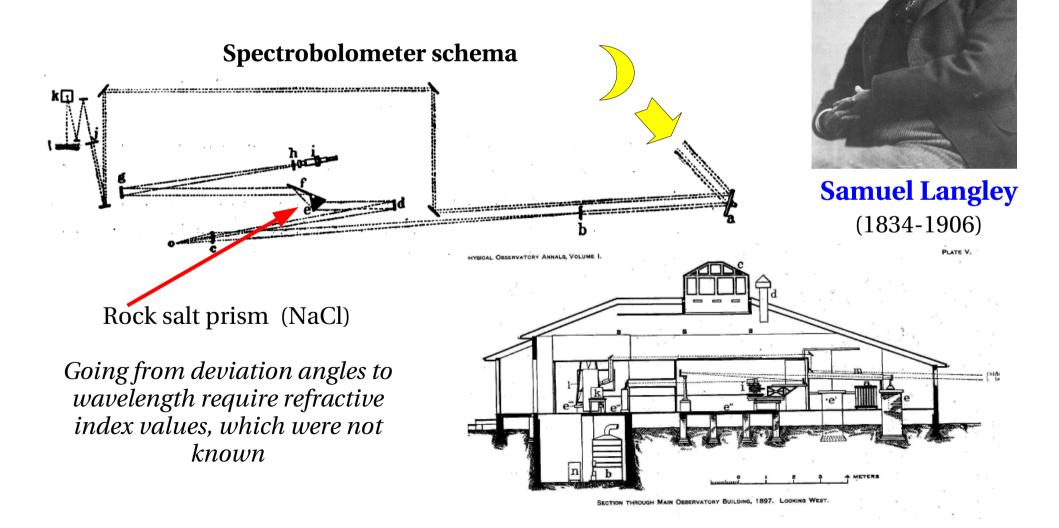
5700

Same deduction, using the Stefan Boltzmann law

Deduced by C. Pouillet, using the Dulong-Petit law

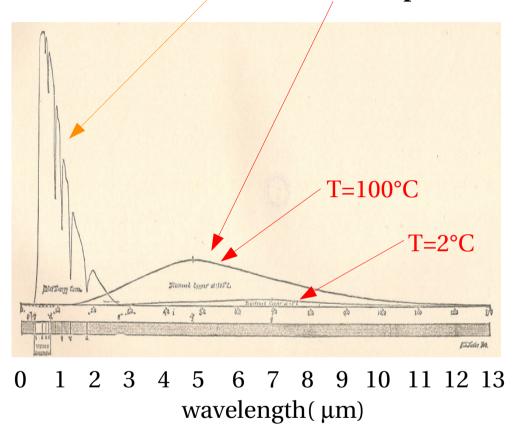
Measurement of the infrared spectra

- Developed the spectrobolometer
- Measured the solar spectra
- > Measured the infrared radiation coming from the moon

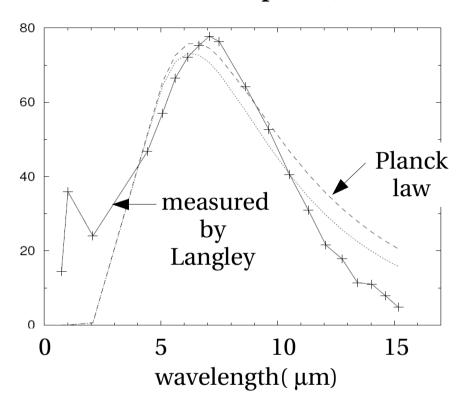


Measurement of the infrared spectra

Measured the solar and infra-red spectrum



Measured infra-red spectra, T=178°C



Current refractive index values are used to convert deviation angle to wavelength

- > He observed, for the first time, the spectral separation between solar radiation and earth thermal radiation
- He was not satisfied by its measured of the infrared radiation coming from the moon
- (He overestimated by a factor o 2 the solar constant)

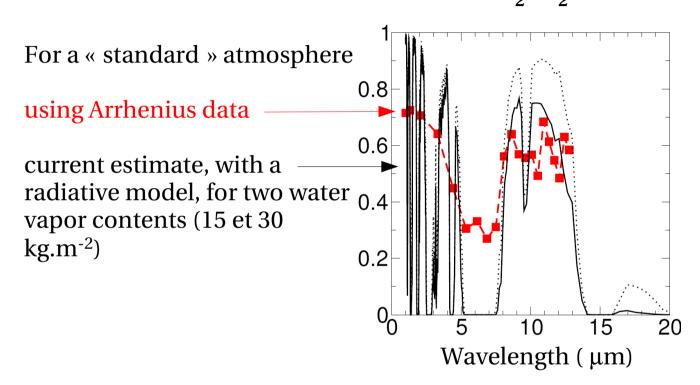
On the Influence of Carbonic Acid in the Air upon the Temperature of the Ground, S. Arrhenius, 1896.

- Extended previous works done by Fourier, Pouillet, Tyndall et Langley
- ➤ Used Langley observations to estimate the infrared absorption of the atmosphere (CO₂, H₂O)
- Developed the single layer greenhouse model and computed the green house effect on Earth
- > CO₂ may be the cause of past climate change and may change climate in the future
- ► He estimated that a doubling of $CO_2 => \Delta T \approx 4$ to 5°C
- > These values are close to current estimate (2-4°C)
- Are the results obtained by Arrhenius robust [Ramanathan &Vogelmann, 1997] or fortuitous?



Svante Arrhenius (1859-1927)

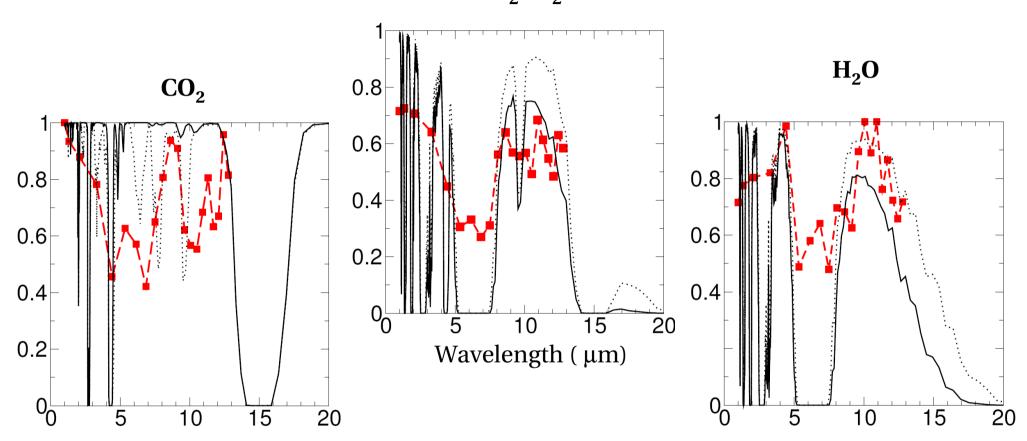
Infrared atmospheric transmitivity CO_2+H_2O



To separate the individual CO₂ and H₂O contributions, Arrhenius

- > computed correlations between observed atmospheric transmitivity and humidity near surface
- made ad-hoc corrections on the observed atmospheric transmitivity

Infrared atmospheric transmitivity CO_2+H_2O

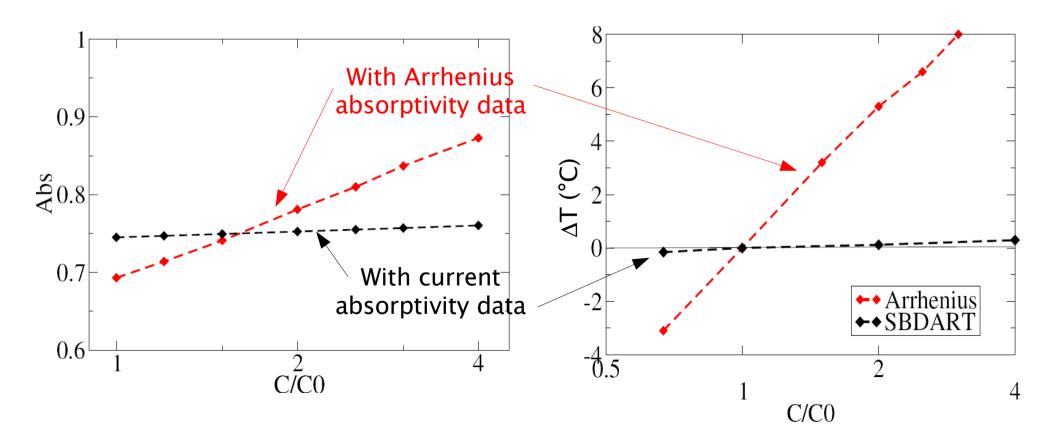


- > Observations do not include the 15 μ m absorption band of CO_2
- ➤ The individual CO₂ and H₂O contributions are not well separate

Sensitivity to a change of the CO₂ concentration

Mean infrared absorptivity of the atmosphere as a function of the relative CO₂ concentration C/C0

Temperature change ΔT (°C) as a function of the relative CO₂ concentration C/C0 for a single layer greenhouse model



Estimate of the green house effect by Svante Arrhenius

Absorptivity of the atmosphere:

- Spectral measurements do not cover the 15 μm CO₂ band
- The CO₂ absorptivity estimate is strongly contaminated by H₂O

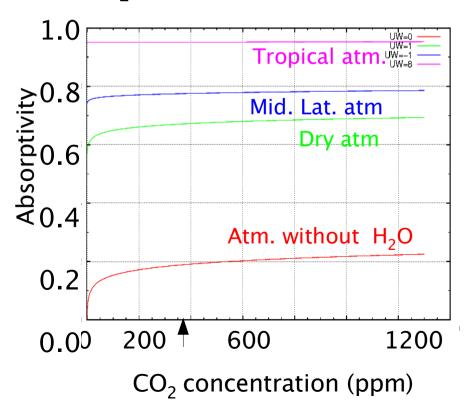
Single layer greenhouse model:

• Do not include the vertical temperature gradient of the atmosphere

• Is not valid for greenhouse gases, like CO₂, for which the absorption

is **saturated**

The increase of temperature for a doubling of CO_2 concentration obtained by Arrhenius ($\Delta T \approx 4$ °C) is closed to current estimate ($\Delta T \approx 2-4$ °C), but this result is fortuitous.



Analysis of the greenhouse effect on Earth using the Net Exchange Formulation

The increase of the green house gas concentration decreases the cooling of the surface:

- > But what happens within the atmosphere?
- ➤ Is the atmosphere cooled or heated?
- > It is the same for H₂O and CO₂?

Net Exchange Formulation (NEF)

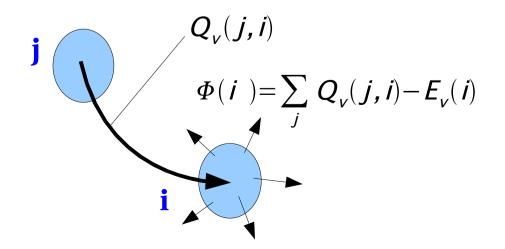
Flux formulation:

1- radiative transfer equation

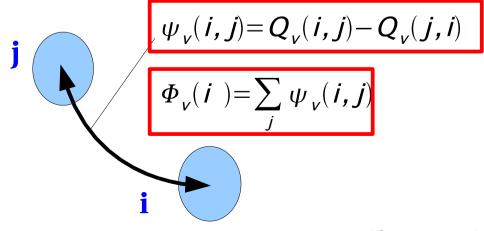
$$\frac{dL_{v}(\Omega)}{ds} = -\kappa_{v}L_{v}(\Omega) + \kappa_{v}B_{v}(T) - \sigma_{v}L_{v}(\Omega) + \sigma_{v}\frac{1}{4\pi}\int_{4\pi}P(\Omega',\Omega)L_{v}(\Omega')d\Omega'$$

- 2- computation of the radiances and radiative flux
- 3- the heat budget Φ_v is the divergence of the radiative flux

Exchange Formulation:

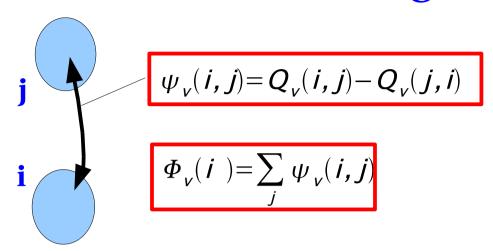


Net Exchange Formulation (NEF)



[Green, 1967]

Net Exchange Formulation (NEF)



Net Exchange between i and j = difference between radiation emitted by i and absorbed by j - emitted by j and absorbed by i

$$\psi_{\nu}(i,j) = \int_{\Gamma} (B_{\nu}(y_{y}) - B_{\nu}(x_{y})) O_{\nu}(x_{y}, y_{y}) dy$$

Planck function Optical exchange factor

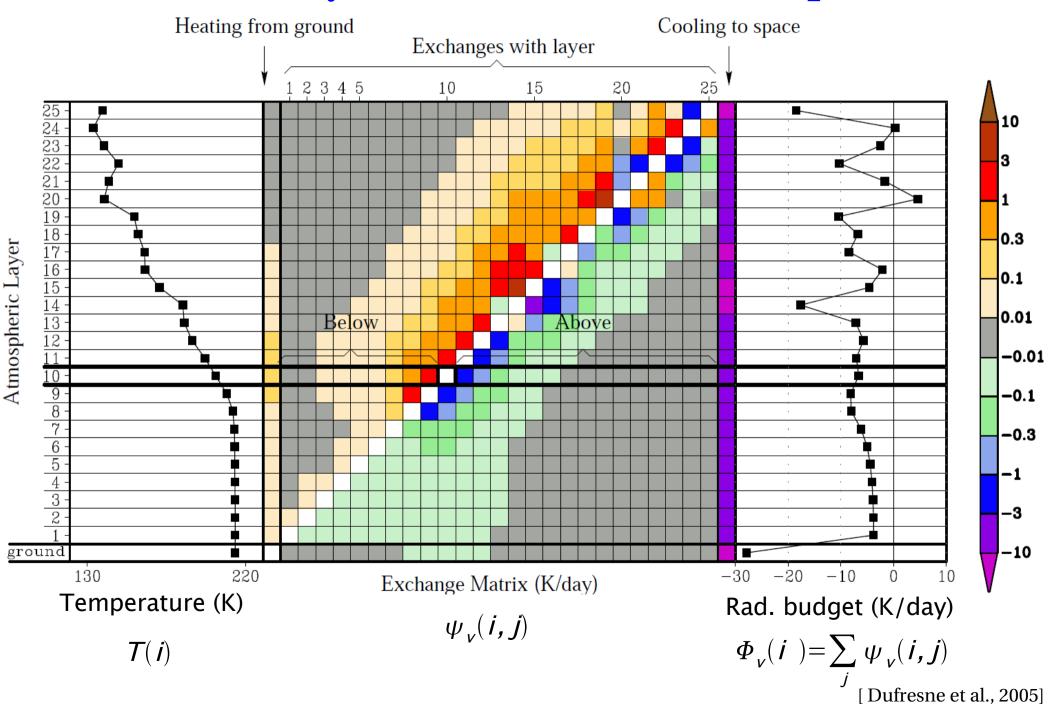
- If the two extremities are « surfaces » (i.e. black or grey bodies, the surface or space)
- If one extremity is a volume and the other is a « surface » (e.g. cooling to space)
- If the two extremities are volume

$$O_{v}(x_{y}, y_{y}) = \tau_{v,y}$$
 with τ transitivity

$$O_{v}(X_{y}, Y_{y}) = \left| \frac{\partial \tau_{v,y}}{\partial X_{y}} \right|$$

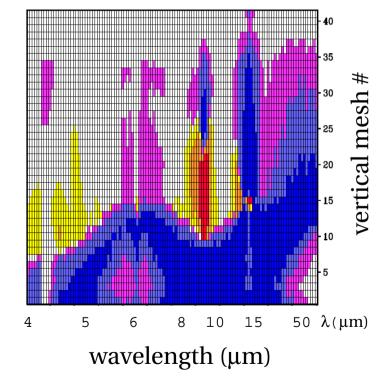
$$O_{\nu}(\mathbf{X}_{\nu}, \mathbf{y}_{\nu}) = \left| \frac{\partial^{2} \tau_{\nu, \nu}}{\partial \mathbf{X}_{\nu} \partial \mathbf{y}_{\nu}} \right|$$

NEF analysis of the Mars atmosphere



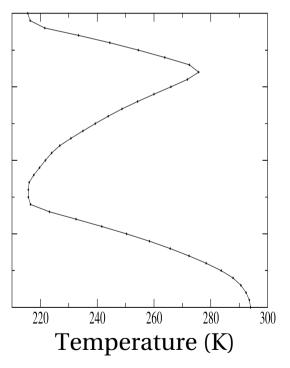
NEF analysis of the radiative exchanges for the Earth atmosphere

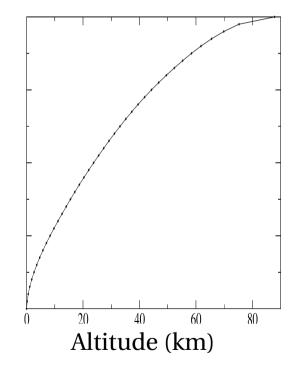
Spectral dependence of the **radiative budget** in the atmosphere



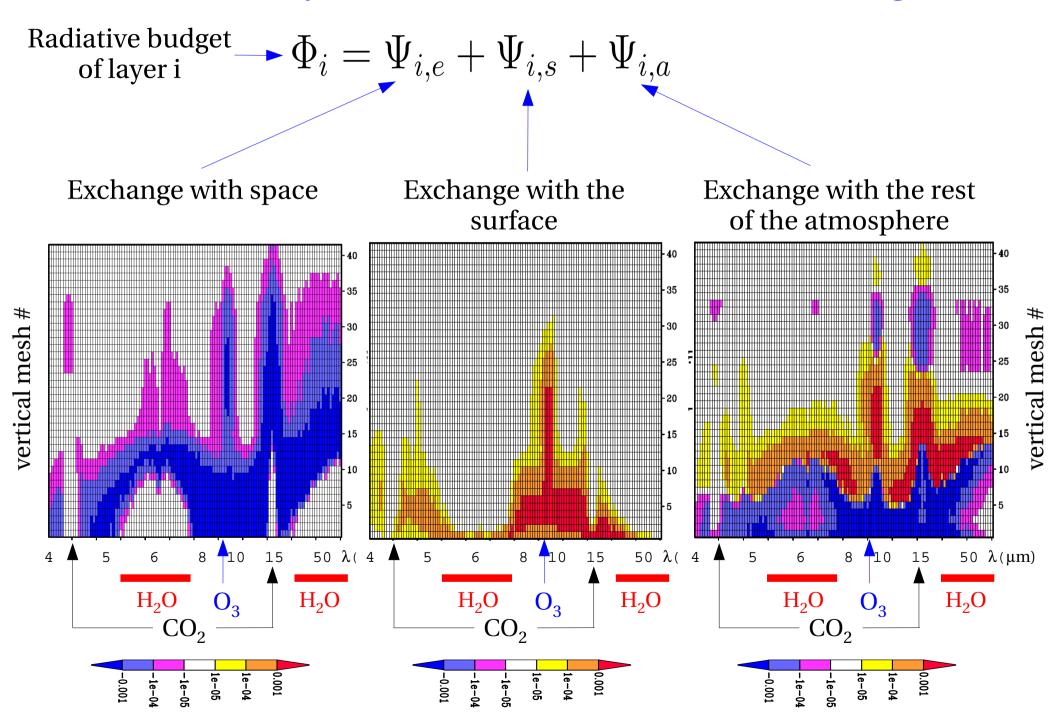
vertical mesh #

Mid latitude summer atmospheric profile (MLS, RTMIP case, Collins et al. 2006)





NEF analysis of the radiative exchanges



Focus on the exchanges with space

Net exchange between an elementary volume *x* of mass *dm* and the space *s* :

$$\psi_{\nu}(x,s) = -B_{\nu}(T_{x})O_{\nu}(x,s)dm$$

Optical exchange factor:

with:

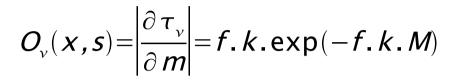
f: mass fraction of the absorbing gas

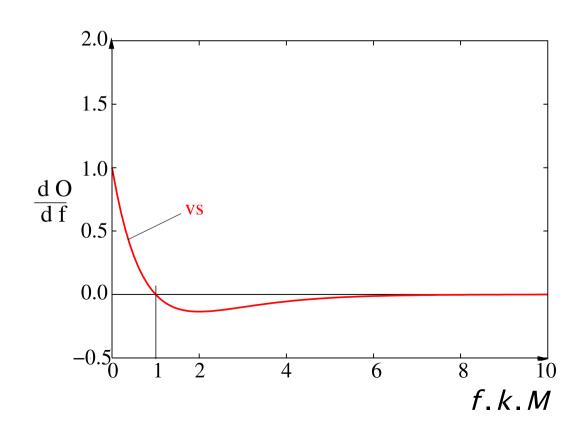
k: absorption coefficient

M: gas mass above volume x

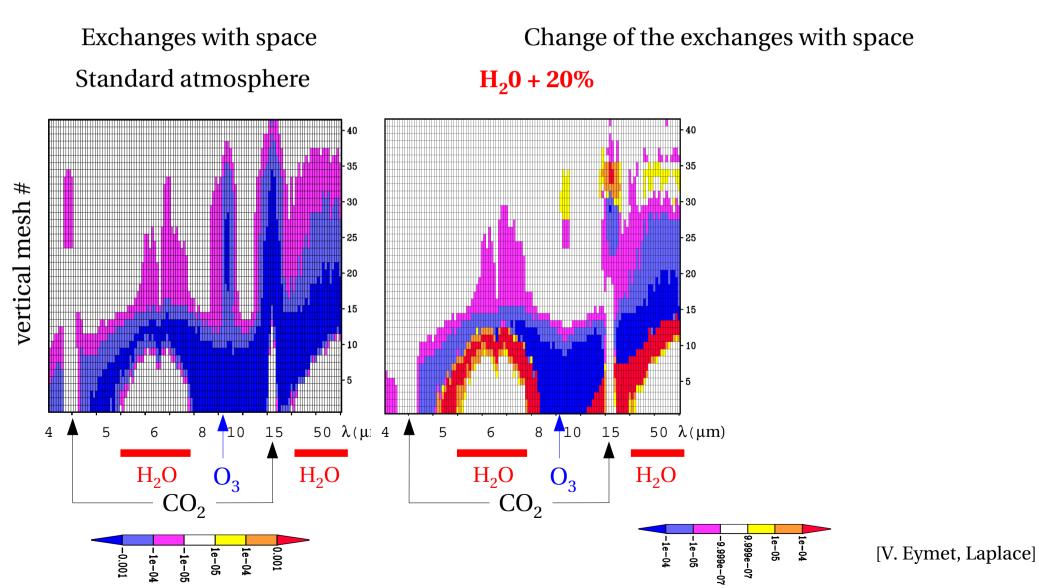
Sensitivity of the optical exchange factor to the fraction of the absorbing gas, as a function of the optical thickness between x and the space.

The optical exchange factor increases with an increase of the fraction of the absorbing gas when the optical thickness with space is below 1, otherwise it decreases

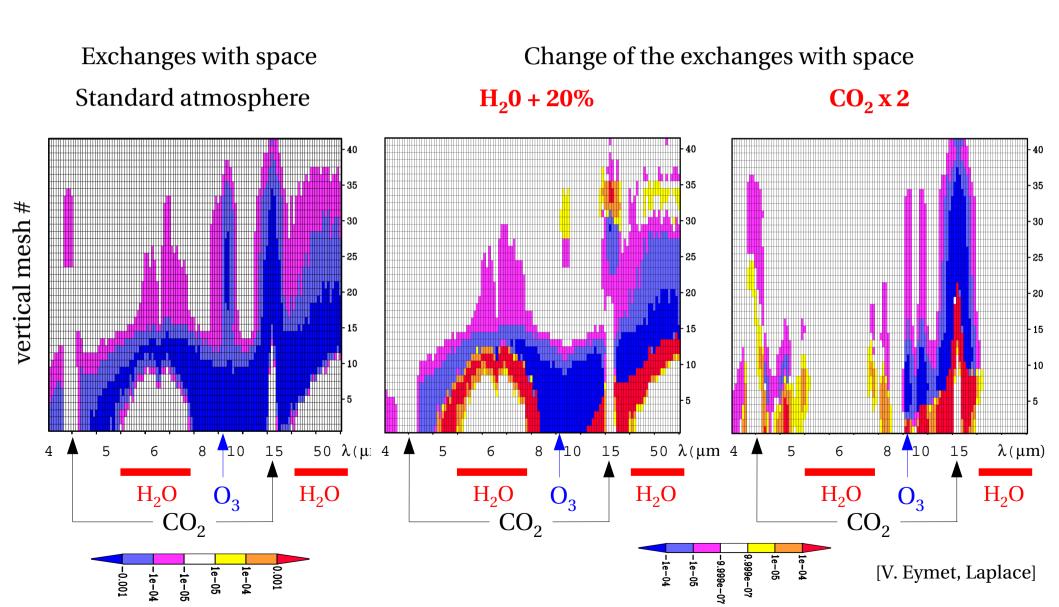




Focus on the exchanges with space



Focus on the exchanges with space



Focus on the exchanges within the atmosphere

Net exchange between two elementary volumes x and y of mass dm_x and dm_y :

$$\psi_{v}(x, y) = (B_{v}(T_{y}) - B_{v}(T_{x})) O_{v}(x, y) dm_{x} dm_{y}$$

Optical exchange factor:

$$O_{v}(x,y) = \left| \frac{\partial \tau_{v}}{\partial m_{x} \partial m_{y}} \right| = f^{2} \cdot k^{2} \cdot \exp(-f \cdot k \cdot M)$$

with:

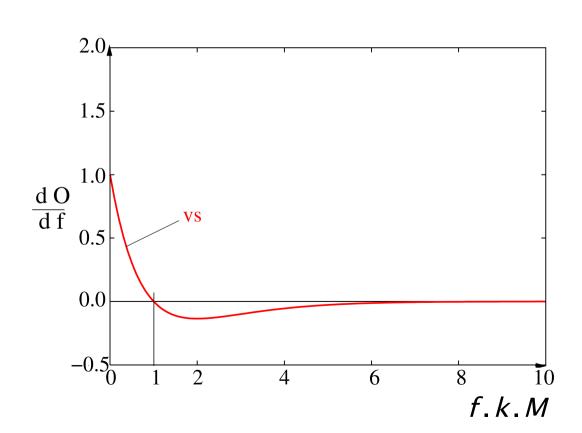
f: mass fraction of the absorbing gas

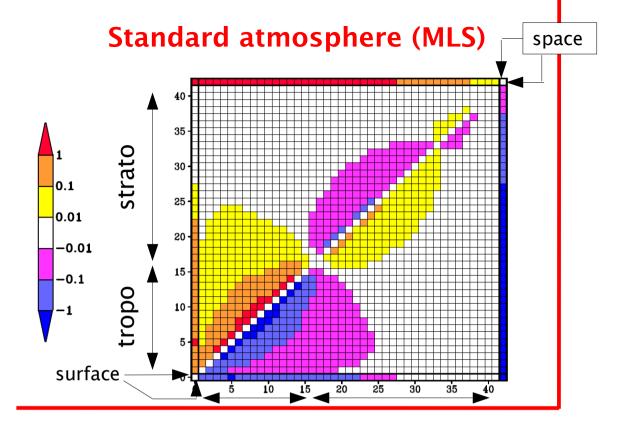
k: absorption coefficient

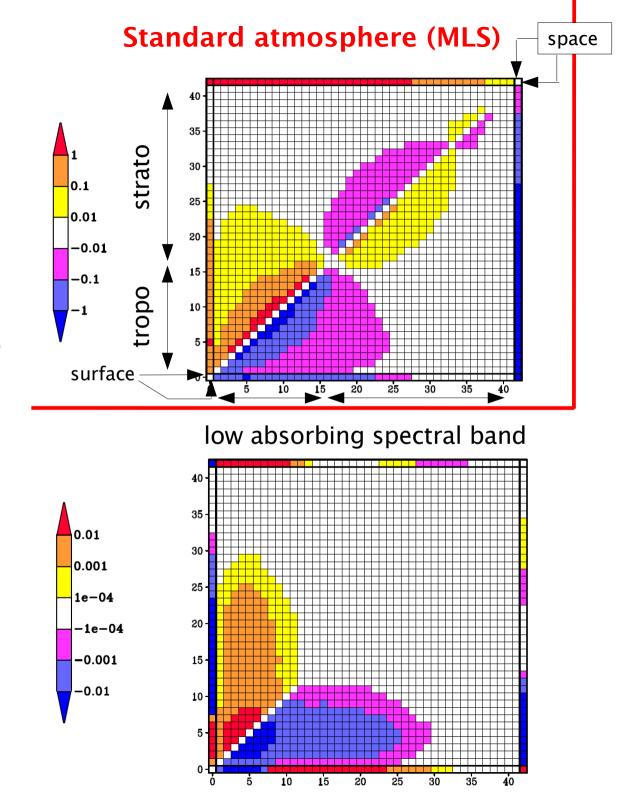
M: gas mass above volume x

Sensitivity of the optical exchange factor to the fraction of the absorbing gas, as a function of the optical thickness between x and y

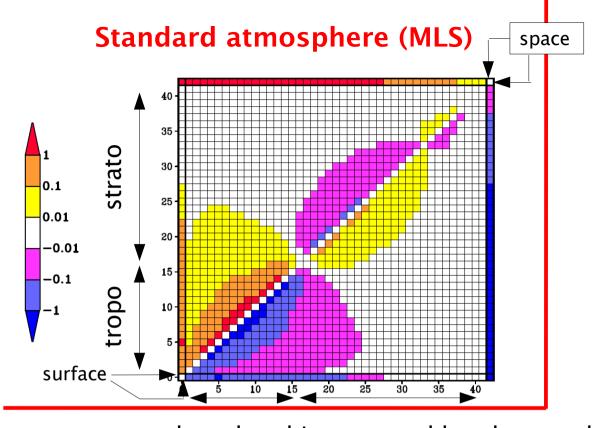
The optical exchange factor increases with an increase of the fraction of the absorbing gas when the optical thickness between x and y is below 2, otherwise it decreases



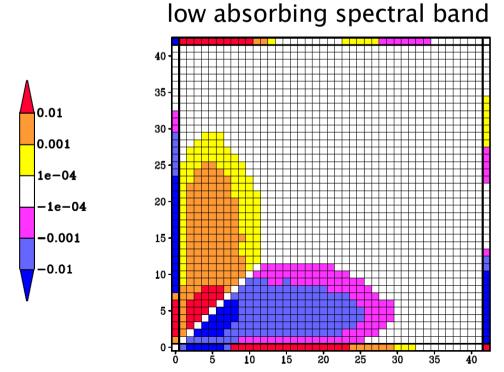




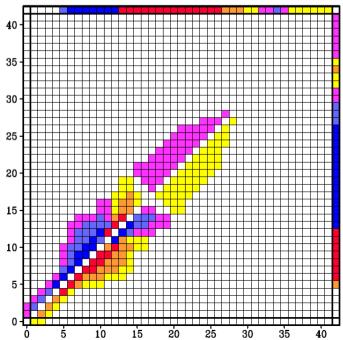
 $H_20 + 20\%$

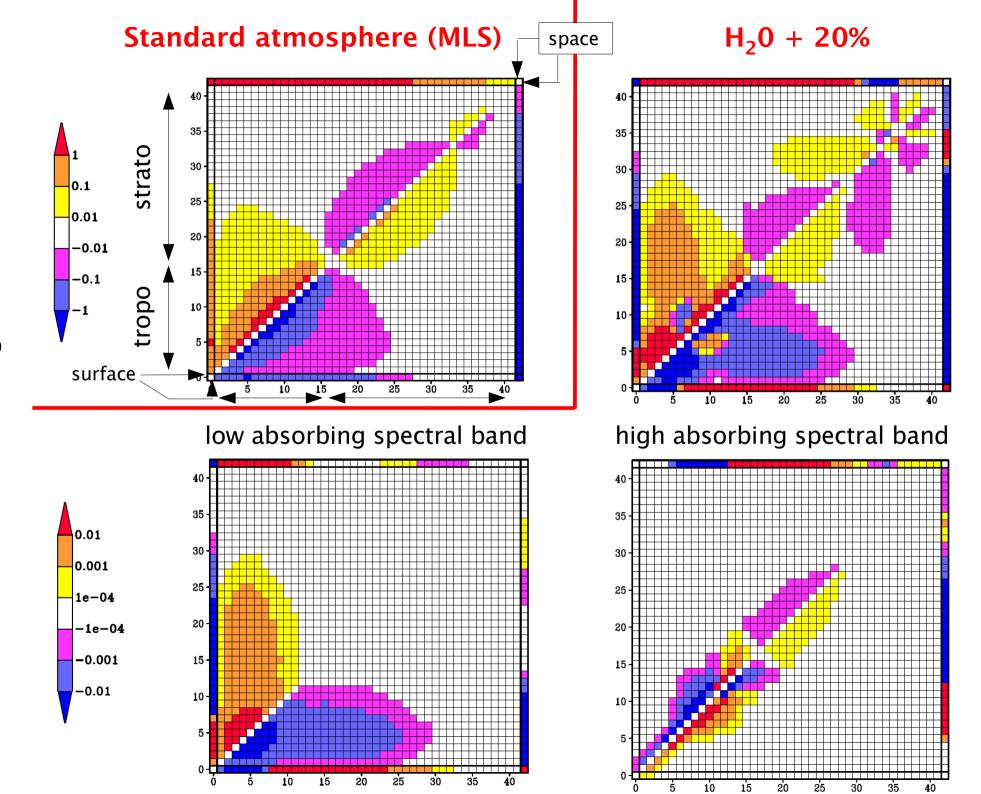






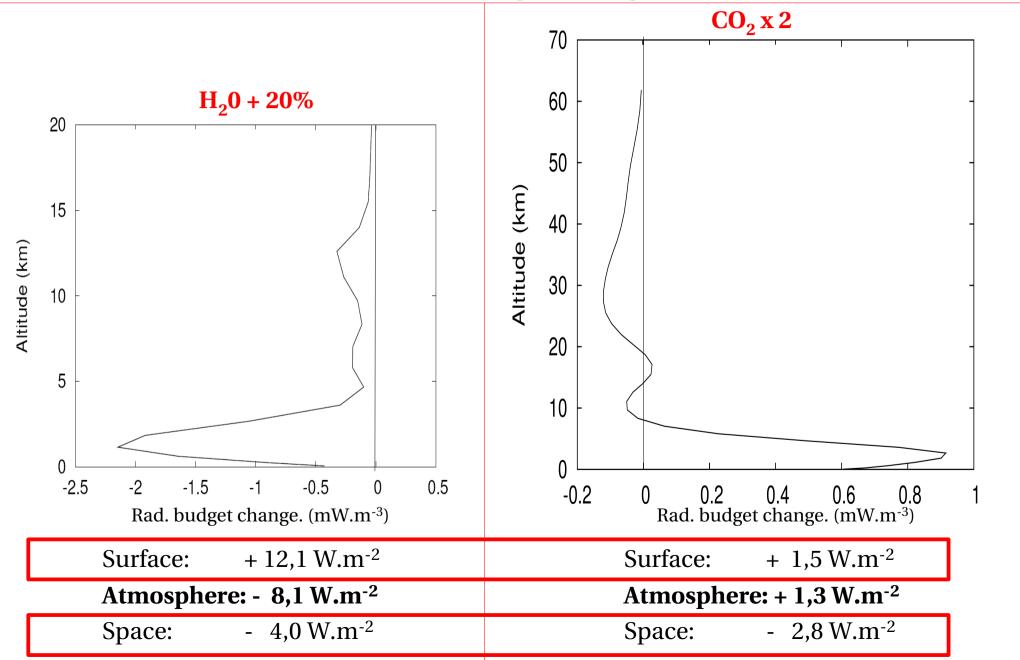






Analysis of the greenhouse effect on Earth

Radiative budget changes



In summary

Arrhenius estimate of CO₂ impact on the surface temperature is erroneous for two majors reasons (that partly compensate)

- Wrong absorptivity values of CO₂ and H₂O
- Inadequacy of the single layer greenhouse model to saturated green house gases, like CO₂

The consistency of Arrhenius results with current estimates appear to be fortuitous.

The Net Exchange Formalism is a powerful tool to analyse radiative exchanges.

An increase of the green house gas concentration

- decreases the cooling of the surface
- > cools or heats the atmosphere, depending on the radiative properties of the gas. On average:
 - > for H₂O: increase of the cooling of the atmosphere
 - ➤ for CO₂: decrease of the cooling of the atmosphere

